

## Lesson 2–7

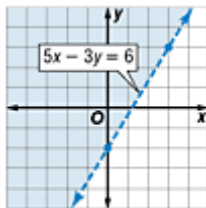
### Example 1 Dashed Boundary

Graph  $5x - 3y < 6$ .

The boundary is the graph of  $5x - 3y = 6$ . Since the inequality symbol is  $<$ , the boundary will be dashed.

Use the slope–intercept form,  $y = \frac{5}{3}x - 2$ , to graph the boundary line.

Now test the point  $(0, 0)$ . The point  $(0, 0)$  is usually a good point to test because it results in easy calculations.



$5x - 3y < 6$	Original inequality
$5(0) - 3(0) < 6$	$(x, y) = (0, 0)$
$0 < 6$	true

Shade the region that contains  $(0, 0)$ .

### Example 2 Solid Boundary

**FUND–RAISING** The Peerless High School Student Council is planning a raffle. They have chosen two different types of prizes to purchase, games for \$12 each and stuffed animals for \$8 each.

a. Write an inequality to describe the total cost of the prizes if the student council wants to spend no more than \$204.

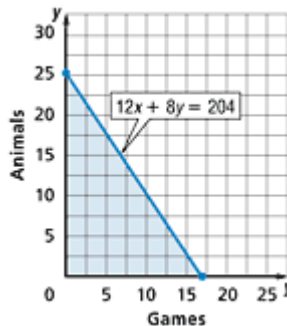
Let  $x$  be the number of games and let  $y$  be the number of stuffed animals. Since the student council can spend *at most* \$204 for the raffle, use a  $\leq$  symbol. The inequality is  $12x + 8y \leq 204$ .

b. Graph the inequality.

Since the inequality symbol is  $\leq$ , the graph of the related linear equation  $12x + 8y = 204$  is solid.

Test  $(0, 0)$ .

$12x + 8y \leq 204$	Original inequality
$12(0) + 8(0) \leq 204$	$(x, y) = (0, 0)$
$0 \leq 204$	true



Shade the region that contains  $(0, 0)$ . Since the variables cannot be negative, shade only the part in the first quadrant.

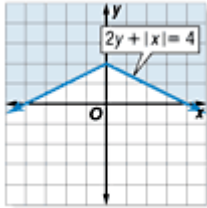
c. If the student council wants to spend exactly \$204, what number of each can they buy?

There are several possibilities. One is 15 games and 3 animals since  $12(15) + 8(3) = 204$ .

### Example 3 Absolute Value Inequality

Graph  $2y + |x| \geq 4$ .

Since the inequality symbol is  $\geq$ , the graph of the related equation  $2y + |x| = 4$  is solid. Graph the equation.



Test  $(0, 0)$ .

$2y +  x  \geq 4$	Original inequality
$2(0) +  0  \geq 4$	$(x, y) = (0, 0)$
$0 + 0 \geq 4$	$ 0  = 0$
$0 \geq 4$	false

Shade the region that does not include  $(0, 0)$ .